

# Transients Identification in Engineering Data

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Julien Sylvestre  
MIT

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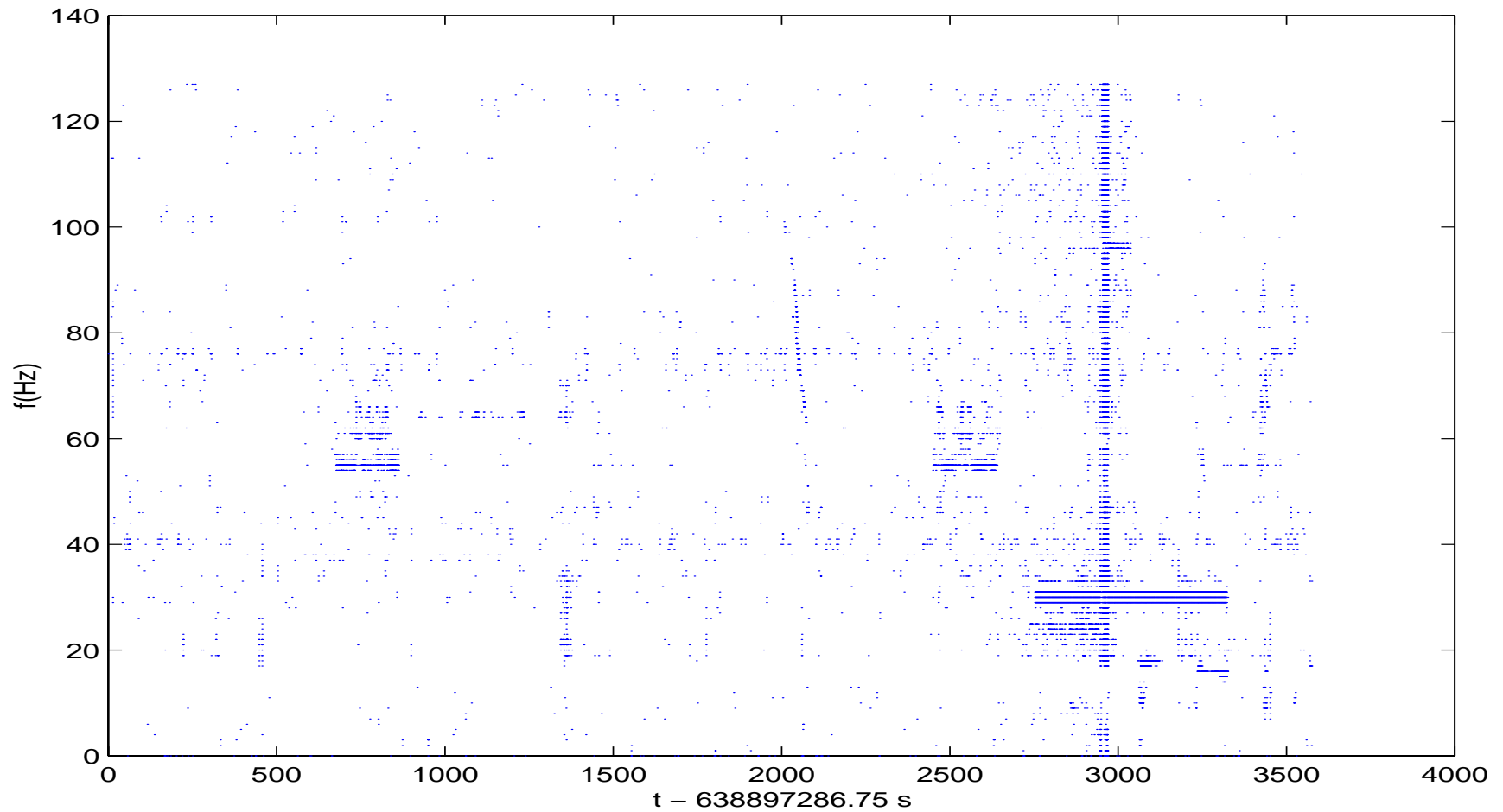
# Power Detector: high-contrast t-f representation

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- Built using spectrogram with adaptive threshold
- Robust to non-gaussian noise (steady part), colored noise, strong transients
- Fast
- Bias statistics in a known way depending on choice of resolutions
  
- Real time code available under the DMT

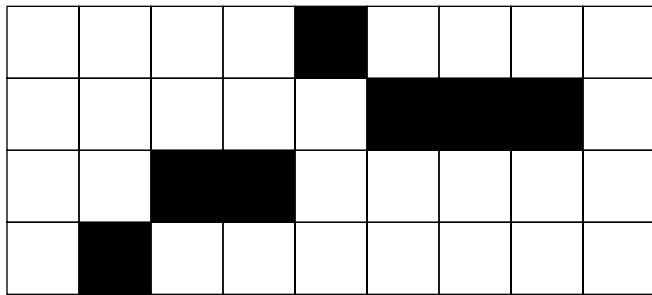
# Power Detector: an example from E1 data

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# Power Detector: clusters identification

- Test output: binary map, black pixel probability  $p$  for gaussian noise
- Connected clusters: results from Percolation Theory
- Disconnected clusters: new results for 2-points correlations
- Complete knowledge of false alarm rates and probability of detection



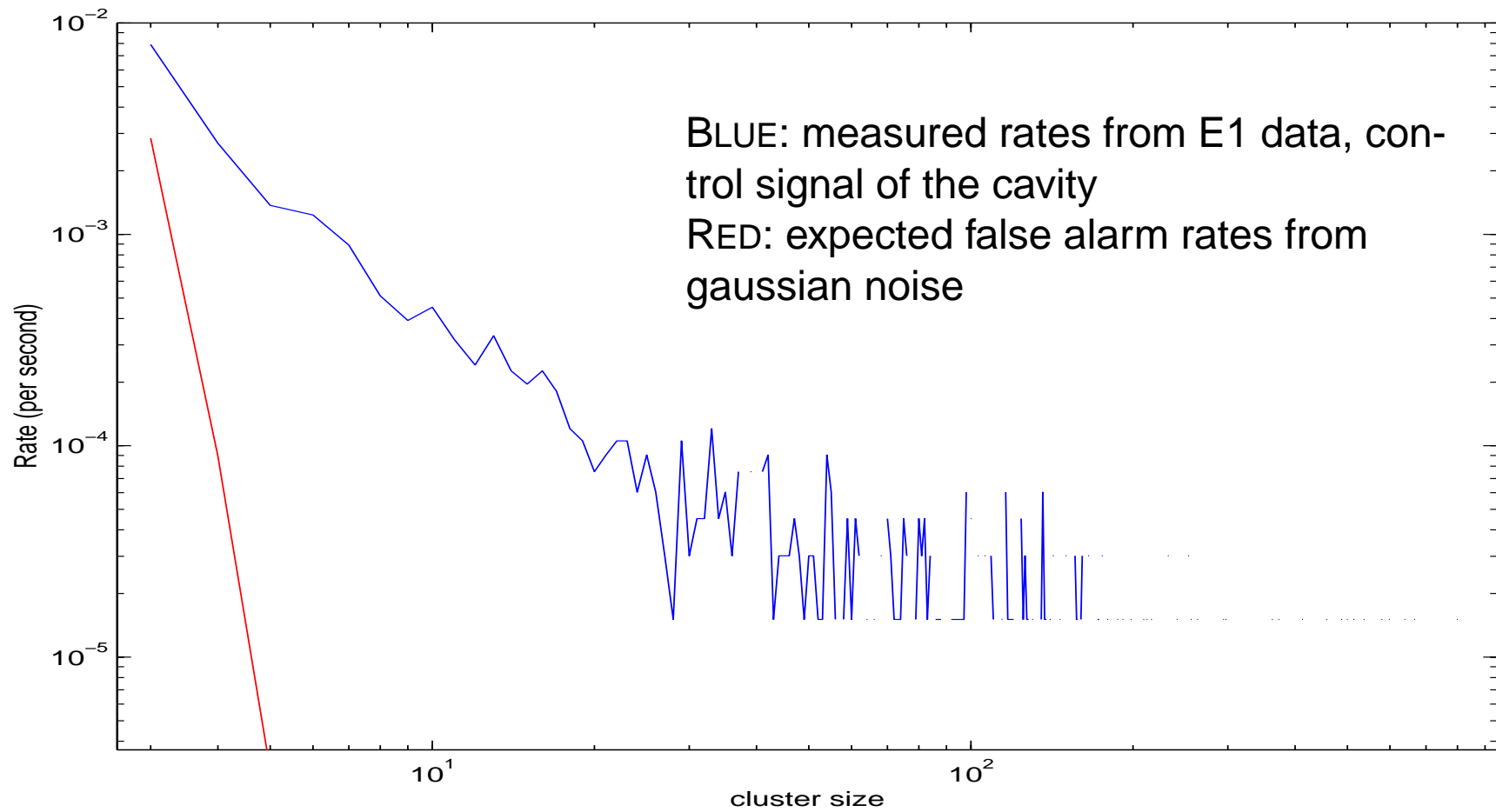
False alarm probability:

$$p^7(1-p)^{18}$$

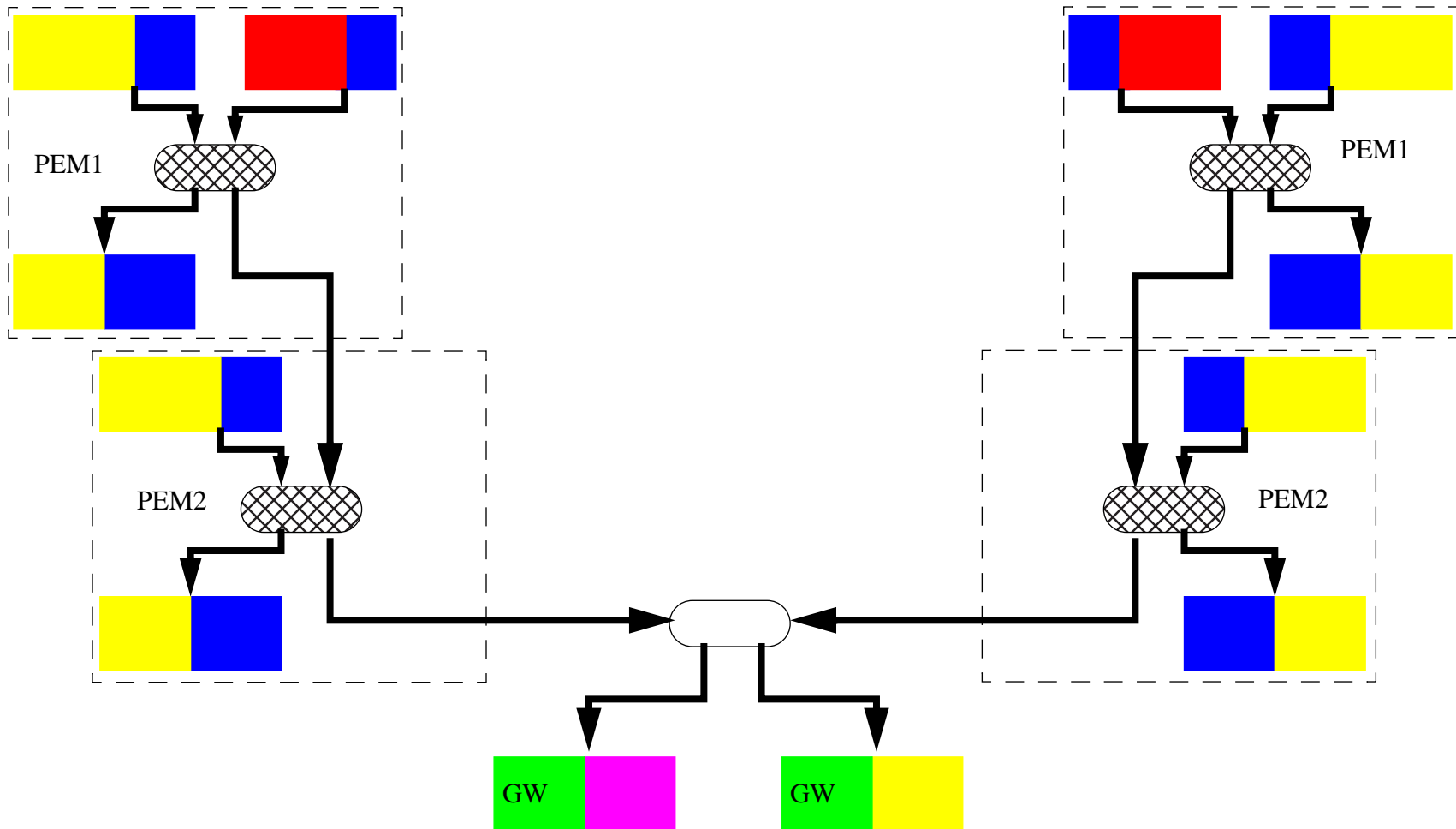
Probability of detection:

$$\sum (\# \text{ configs}) \bar{p}^{\# \text{ holes}} (1-\bar{p})^{7 - \# \text{ holes}}$$

# Non-gaussian noise: an example from E1

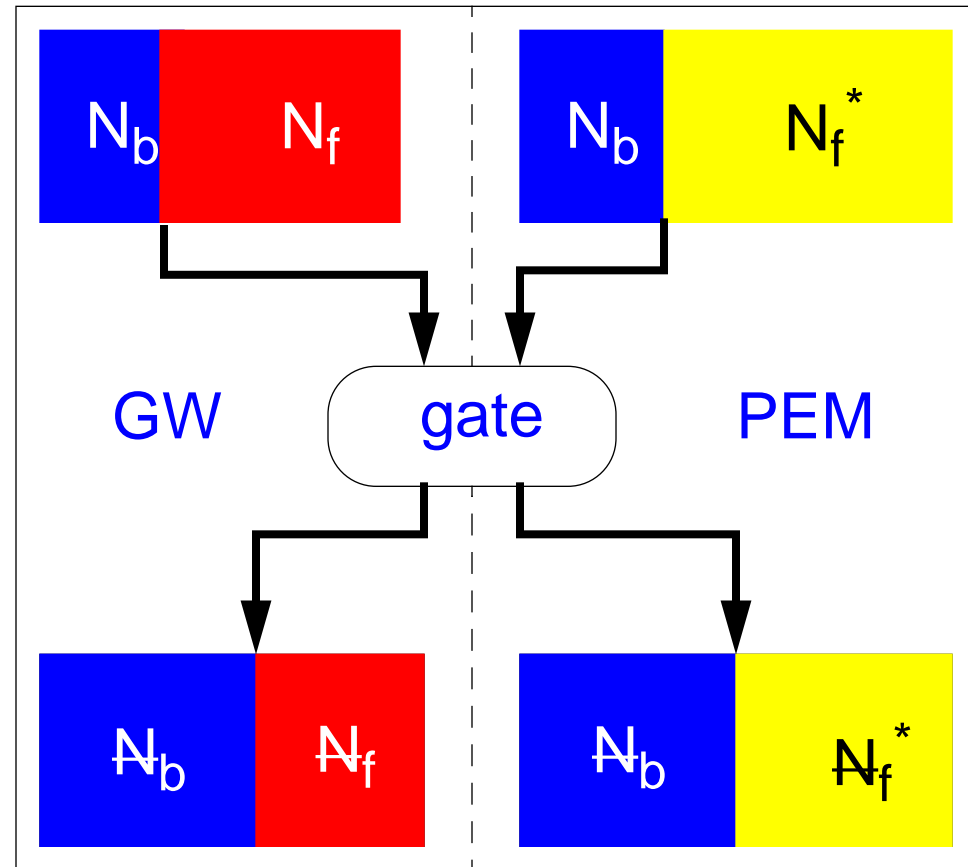


# General model for two detectors



# The basic coincidence gate

- GW channel:  $N$  events,  $N_b$  are background,  $N_f$  are foreground.
- PEM channel:  $N^*$  events,  $N_b^* = N_b$  are background,  $N_f^*$  foreground.
- Coincidence gate moves the partitions



# Coincidence gate: operational characteristics

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- $p(C|f)$  : probability of accidental coincidence
  - ››function of  $N_f^*$  and of “width” of coincidence window in simplest case
- $p(C|b)$  : probability of detection of a coincidence
  - ››can compute probability of detection of any signal analytically
  - ››doing “ensemble averages” require additional knowledge
- Measurements of  $N_b$  ,  $N_f$  and  $N^*$  enough if coincidence is on time only; more complex cases require other information from the three sets.

# Coincidence gate: metric

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- “mass” moments computed for each cluster
  - ››  $X_0$  = number of pixels
  - ››  $X_1$  = mean time,  $X_2$  = mean frequency
  - ››  $X_3$  = t,t component of “inertia” tensor,  $X_4$  = t,f component,  $X_5$  = f,f
  - ›› etc.
- A coincidence is detected when two clusters are close enough:

$$g_{ij} dX_i dX_j < 1$$

# Coincidence gate: confidence regions

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- Three parameters estimated: background, foreground and total rate in PEM channel.
- Tri-dimensional confidence regions
- “Unified” classical approach (Feldman & Cousins, PRD 57, 7)
  - ›› Classical construction
  - ›› Ordering Principle
  - ›› Give  $p(N \in V) = \alpha$
- Projections give the confidence interval on GW foreground.

# Coincidence gate: an exercise with E1

## Single anti-coincidence with MX Seismometer

Measured rates:

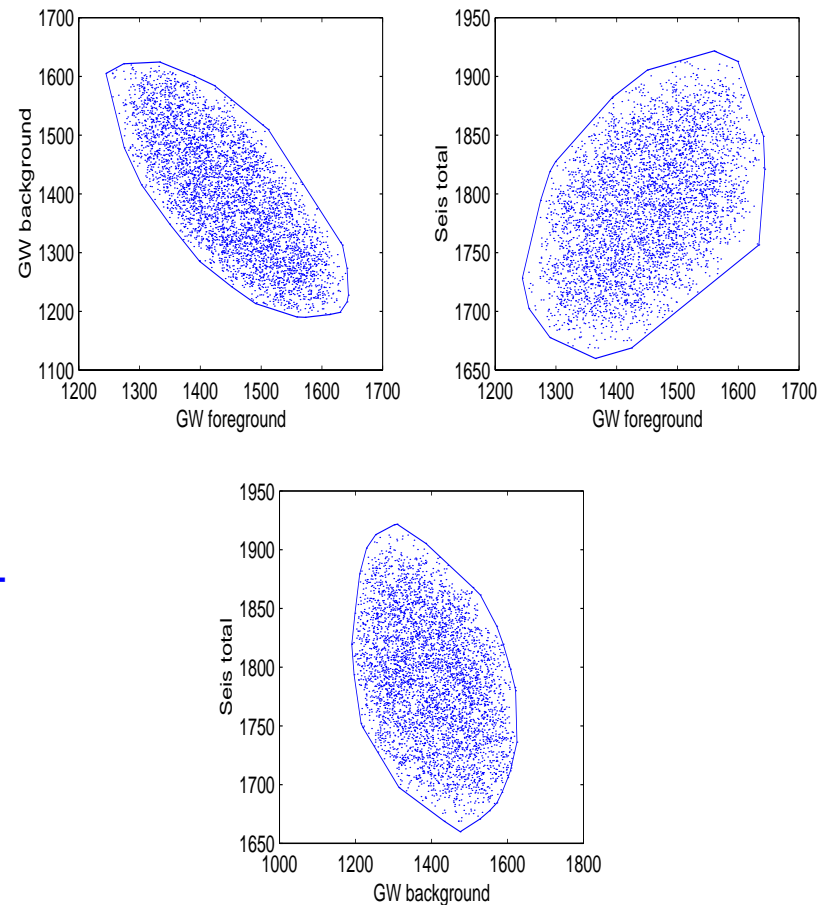
GW foreground:  $2.16 \cdot 10^{-2} \text{ s}^{-1}$

GW background:  $2.12 \cdot 10^{-2} \text{ s}^{-1}$

Seis foreground:  $5.73 \cdot 10^{-3} \text{ s}^{-1}$

90% level confidence interval on GW foreground:

$$1.87 \cdot 10^{-2} \text{ s}^{-1} < F < 2.48 \cdot 10^{-2} \text{ s}^{-1}$$



# Non-gaussian noise: identified classes

- Airplanes:

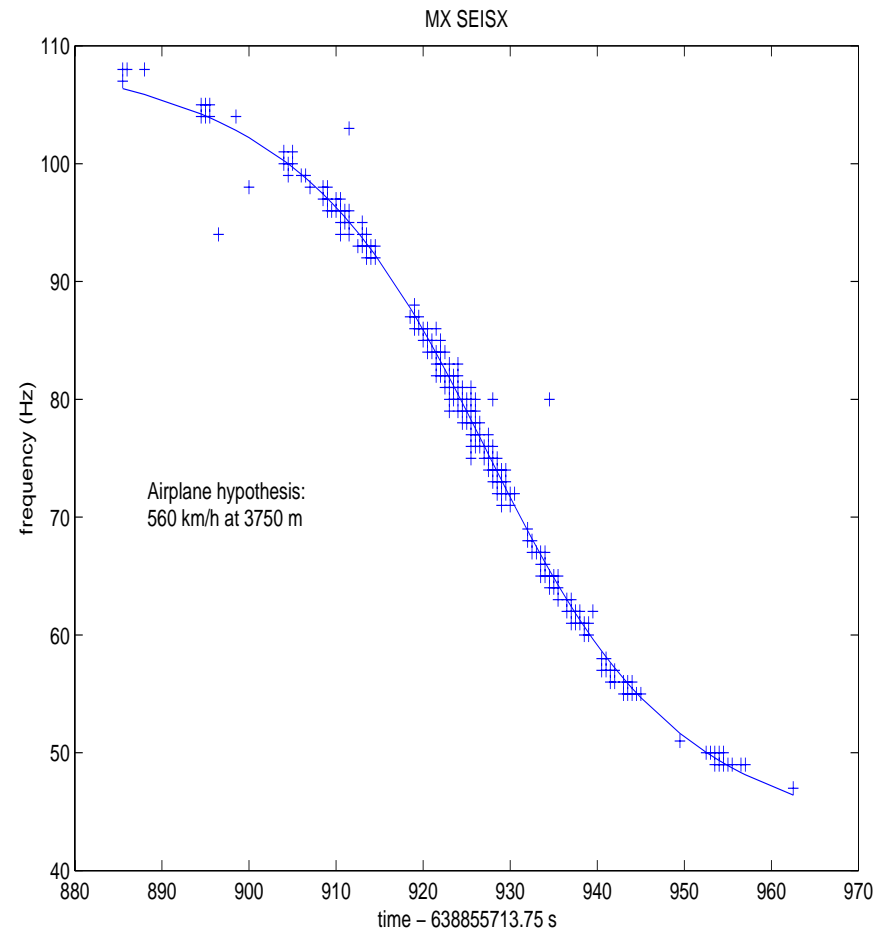
- ›› found in cavity signals, seismometers, accelerometers, etc.

- ›› delays between MX and LVEA are  $-15 \text{ s} < \Delta T < 15 \text{ s}$

- ›› excellent fit to Doppler shifted monochromatic source

- ›› events in E1 coincident with airplanes within 5.5km from LVEA, from FAA radar data

- ›› filter bank running at LHO



# Non-gaussian noise: identified classes

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- Narrow-band periodic bursts
  - ›› duration  $\sim 100$ s
  - ›› period  $\sim 15$  minutes
- Resonance driven by impulse in seismic noise
  - ›› decay time  $> 100$ s
  - ›› frequency  $\sim 17$ Hz (roll mode of pendulum?)
- string of bursts
  - ›› multiple, “symmetric” bursts

